

# PRACTICAL ADVANCES IN CORE-BASED WATER SATURATION ANALYSIS OF SHALY TIGHT GAS SANDS

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## ABSTRACT

New core analysis methods are presented for  $R_w$ , formation water resistivity, and  $Q_v$ , cation exchange capacity per unit pore volume. Accurate  $R_w$  values are needed for all resistivity-based water saturation models. Representative values of the rock property  $Q_v$  are necessary for  $Q_v$ -based shaly sand models such as Waxman-Smits-Thomas and Dual-Water. Traditional core analysis methods for  $R_w$  and  $Q_v$  in shaly tight gas sands are limited and tend to be inaccurate or impractical due to the clay-bound water, extensive cementation, and very low permeability that characterize these formations. The new methods address the influence of clay-bound water on results and include its quantification by nuclear magnetic resonance techniques. They are designed to overcome the limitations and inaccuracies of the traditional methods, particularly with respect to tight gas sands, and result in practical approaches for  $R_w$  and  $Q_v$ .

Additionally, an improved and unifying equation is presented for the shaly sand parameter  $B$ , the counter-ion conductance term found in the Waxman-Smits-Thomas model. Effective use of this model includes application of representative  $B$  values for both the laboratory and reservoir environments. Standard sources of  $B$  for each environment are identified and standard values are compared to those provided from published equations. The poor and biased comparisons lead to development of a single equation with results that compare more favorably with the reservoir-environment standard and exactly with the laboratory-environment standard.

## INTRODUCTION

Formation evaluation for water saturation ( $S_w$ ) in many tight gas sands is complicated by the extensive cementation, low porosity, very low permeability, and conductive clay minerals in the pore space of these formations. Further complications arise from uncertainties in formation water salinity because produced water is either unavailable, of uncertain origin, diluted by water condensation, or mixed with returned completion/stimulation fluids.

Practical advances are described for core and log analysis approaches to the shaly sand parameters:

- $R_w$ , formation water resistivity
- $B$ , equivalent ionic conductance of clay exchange cations and
- $Q_v$ , cation exchange capacity (CEC) per unit pore volume.

The improvements are designed to overcome limitations and inaccuracies found with existing approaches. This is accomplished, in part, by accounting for the influence of clay-bound water (CBW) through its quantification using nuclear magnetic resonance (NMR) techniques. The methods are shown to be particularly well-suited for tight gas sands.

The three topics,  $R_w$ ,  $B$ , and  $Q_v$ , are addressed separately with respect to background, applications, limitations of existing methods, new developments, and results. These discussions are preceded with reviews of the characteristics of tight gas sands, the Waxman-Smits-Thomas (WST) model, and clay-bound water in the context of the improved approaches to  $R_w$ ,  $B$ , and  $Q_v$ .

### Summary Characteristics of Tight Gas Sands

Tight gas sands can be generally characterized as having porosities from 4 to 15 percent, absolute slip-corrected gas permeabilities from  $<0.001$  to 1 md, and clay content from 2 to 8 weight percent. Low porosities are consistent with presence of extensive cementation. Clay species commonly encountered are kaolinite, chlorite, illite, and mixed-layer illite/smectite. This clay profile is often considered benign with respect to excess conductivity leading to a standard Archie-type analysis or one that underemphasizes the contribution from the clay mineralogy. However, because of low porosity and the presence of this otherwise small amount of clay within it, the porosity-effective CEC, or  $Q_v$ , can be substantial, making these sands candidates for interpretation using a resistivity model that accounts for excess conductivity. Productive intervals can exist over a large span of  $S_w$ , from less than 10% (despite the low permeability) to greater than 70%, hence the importance of  $S_w$  and gas relative permeability for successful evaluation of producible reserves. Many of these formations are stimulated by hydraulic fracturing with aqueous fluids. Loss of drilling/completion/stimulation fluids can be volumetrically low but high with respect to pore space because of low porosity.

### Relation of Methods and Equation to the Waxman-Smits-Thomas Model

The new methods for  $R_w$  and  $Q_v$  are presented in context of the WST model; however they would equally benefit any other approach that uses these properties, such as the Dual-Water model (Clavier, et al. 1984).

Waxman and Smits (1968) and Waxman and Thomas (1972) developed a modified Archie equation that accounts for excess conductivity by increasing observed true resistivity ( $R_t$ ) by, in part, the product  $R_w B Q_v$ . An expression of the WST equation for water saturation from resistivity is given by:

$$S_w = n^* \sqrt{\frac{\frac{a^*}{\phi^{m^*}} R_w}{R_t \left( 1 + \frac{R_w B Q_v}{S_w} \right)}} \quad (1)$$

Both  $R_w$  and  $B$  depend on temperature and salinity whereas  $Q_v$  is a rock property. The canceling units of measure for  $R_w$ ,  $B$ , and  $Q_v$  are, respectively, ohm m,  $(1/\text{ohm m})/(e/l)$ , and  $e/l$ . The modified Archie parameters  $a^*$ ,  $m^*$ , and  $n^*$  represent temperature- and salinity-independent core-derived values having been corrected for excess conductivity using the laboratory-environment  $R_w$  and  $B$  and the core sample  $Q_v$ . Correction terms for application with the resistivity log include  $R_w$  and  $B$  for the reservoir environment and the estimated reservoir log-sample  $Q_v$ . The solution for  $S_w$  is iterative.

### Relation of Methods to Clay-Bound Water

The new core analysis solutions for  $R_w$  and  $Q_v$  use an assessment of clay-bound water by NMR techniques. Clay-bound water is the volume of water retained by or associated with clay surfaces and clay interlayers due to electrochemical bonding. It includes anion-free (fresh) water adsorbed to clay surfaces and hydration water of clay exchange cations but does not include water retained by capillarity (formation water) or interpreted “water” due to hydroxyl (OH) groups in clay structures. The volume of clay-bound water is proportional to surface area and is significant with clay species having moderate to high surface area such as smectite, illite, and mixed-layer illite/smectite. This water is immovable by mechanical means although it can be removed by evaporation or distillation. The volume is otherwise considered independent of temperature.

Hill, *et al.* (1979) related clay-bound water to  $Q_v$  and the equilibrium salinity of a porosity-filling brine by the equation:

$$1 - \frac{\phi_e}{\phi_t} = \frac{V_S}{V_P} = \left( 0.084 C_O^{-1/2} + 0.22 \right) Q_v. \quad (2)$$

Here, effective porosity is the difference between total porosity and clay-bound-water porosity ( $\phi_e = \phi_t - \phi_{CBW}$ ),  $V_S$  is the volume of clay-bound water while  $V_P$  is the pore volume, and  $C_O$  is the equilibrium solution concentration,  $e/l$ .

Straley, *et al.* (1994) and Martin and Dacy (2004) have demonstrated that clay-bound water as defined by equation 2 can be accurately assessed by the volume represented at 2.8 to 3 milliseconds from NMR  $T_2$  cumulative porosity distributions of brine-filled cores.

Clay-bound water volume determined by the humidity-drying core analysis approach represents a minimum according to Bush and Jenkins (1970) and has been found to under-estimate the value from equation 2 as discussed by Schipper (1994) and Elseth, *et al.* (2001). Authors of the three preceding references agree that essentially all CBW is recovered by distillation in the dean stark (DS) core analysis method (API, 1998) or by drying at 110 to 116°C.

### CORE ANALYSIS FOR $R_w$ , FORMATION WATER RESISTIVITY

Formation water samples of high quality are rare in tight gas sands. Often there is no produced water from these intervals. When produced water is available it is of uncertain

quality because of one or more of the following: 1) mixing with produced water from other intervals, 2) mixing with water of condensation, 3) mixing with flowback of completion/stimulation fluids.

Cores cut under conditions of minimal and/or quantifiable disturbance to reservoir  $S_w$  provide a source for improved  $R_w$  data. Direct  $R_w$  determinations are possible if uncontaminated whole brine can be recovered from the core. Also, recovered brine can be analyzed for salt concentration and standard references used to determine  $R_w$ .

Cores cut with oil-based mud (OBM) can contain uncontaminated formation brine while those cut with water-based mud (WBM) may also have some filtrate contamination in the core water. This contamination can be quantified if the water filtrate contains a tracer. Further, CBW can be present according to equation 2 regardless of filtrate type. Mechanical removal of core formation brine by immiscible displacement or by centrifugation provides a sample, void of CBW, for direct salinity analysis by one of a variety of chemical or analytical methods (API, 1998). The very low permeability and high capillarity of tight gas sands typically preclude recovery of sufficient whole water for this type of direct salinity analysis. Rather, after water removal by distillation, the dry core with remaining precipitated salts is disaggregated and soaked in distilled water until all salts are in solution. The solution is analyzed for chloride ion ( $\text{Cl}^-$ ) concentration, converted to mass of sodium chloride ( $\text{NaCl}$ ) removed from the core, and mathematically recombined with the volume of water distilled from the core to arrive at the core water salinity concentration. In theory, this salinity will be underestimated if the volume of water distilled from the core is not corrected for CBW. Hill, *et al.* (1979) suggested such a correction was due and described an approach through determination of  $Q_v$ . However, little or no further treatment of this CBW effect has been found in literature nor have measured data been available.

### **Examination of the Effect of CBW on Core-Water-Salt-Extraction Salinity Results**

We examined the impact of CBW on the disaggregated-core, salt-extraction method by performing controlled experiments using tight gas sand core samples recovered from a well in the Rocky Mountain region of the U.S.A. The test plan was designed to quantify total and CBW porosity, establish a partial saturation at known salinity, and then process to observe the impact of CBW.

Three fully-extracted and dried core plugs had total porosities that ranged from 9.9 to 11.2%. They were saturated and flow-equilibrated with a laboratory brine of 19,750 ppm  $\text{NaCl}$  concentration. Each core sample, injected brine, and recovered brine were monitored by resistivity determinations for equilibrium conditions. The equilibration period enabled water from the brine to rehydrate clay surfaces and clay counter-ions while replacement by flow maintained the “formation water” salinity. Clay-bound water porosity was determined for the saturated and equilibrated samples by the NMR technique of Martin and Dacy (2004) and averaged 2.4%. Samples were centrifuged to establish a partial water saturation (40 to 50%  $S_w$ ) representative of a fresh,

uncontaminated core. Chloride ion concentration of both saturant and centrifuge-displaced fluid was determined by ion chromatograph and compared favorably. Core samples were dried at 116°C in a normal convection oven and removed water computed by mass difference. This step mimics removal of water by distillation and subsequent drying of solvent. Core plugs were crushed and leached with distilled water. Resulting solutions were analyzed for Cl<sup>-</sup> content and that mass was recombined with both total and CBW-adjusted water removed during the drying step.

Results, given in **Table 1**, show the average “formation brine” concentration computed using total water was 9,817 ppm NaCl while use of CBW-adjusted water yielded an average of 19,137 ppm NaCl. Although many measurements are involved in this process, if one assumes all error lies in the determination of CBW, the difference from observed CBW porosity to that required for perfect agreement with injected brine concentration varies from 0.0006 to 0.0013 fractional porosity units. These findings demonstrate that much more representative formation water salinity results from the core-salt extraction method when CBW is accounted for and that not doing so can result in significant underestimation of the property. Also demonstrated is the need for multiple tests to develop confidence in an average salinity value.

#### **$R_w$ -Salinity Core Analysis Method Accounting for CBW**

Accounting for CBW requires a brine-saturated sample while a fresh sample is used for the water-distillation, salt-extraction step. To address these needs, twin samples are taken for each  $R_w$ -salinity investigation. Each sample pair is cut from a section of core with enough uniformity to yield near-identical samples. The core plugs, of either vertical or horizontal orientation, are cut with cool nitrogen gas or oil as the bit lubricant and taken near the central axis of the full core to avoid filtrate invasion as much as possible. If WBM is used in coring, a tracer such as tritiated water is recommended and the plugs are cut and trimmed to right-cylindricity and preserved at the wellsite or within hours of recovery to minimize the effects of tracer diffusion. All sample handling and preservation steps are designed to reduce the effects of diffusion and to eliminate or otherwise track evaporation effects.

In the laboratory, one sample of each pair is used for CBW analysis. This sample is processed for determination of total porosity, fully-saturated to equilibrium conditions with a brine of known concentration, and tested for its NMR  $T_2$  distribution. The twin plug is processed for total water by dean stark analysis, or, in the absence of oil saturation or contamination by WBM filtrate, oven-dried. With precipitated salts in place, the sample is disaggregated and salt-extracted by soaking in distilled water. Chloride ion content of the extract solution is determined by an analytical method such as ion chromatograph.

Further corrections, in addition to that for CBW, are applied for cores cut with tritium-traced WBM. Tracer analysis of the DS distilled water permits subtraction of filtrate

from that volume. Correction of the  $\text{Cl}^-$  mass removed is made based on knowledge of the filtrate fraction of the total water and the filtrate  $\text{Cl}^-$  concentration.

## **B, COUNTER-ION CONDUCTANCE**

Application of the WST model requires  $B$  values for both the laboratory and reservoir environments. Waxman and Smits (1968) performed multiple-salinity core conductivity tests ( $C_0-C_w$ , where  $C_0$  and  $C_w$  are conductivities of core and water, respectively) at room temperature with independent wet-chemical tests for  $Q_v$  to arrive at values of  $B$  for two groups of samples. This resulted in two empirical equations for  $B$  at 25°C as functions of  $R_w$ :

$$\text{Group 1: } B_{25} = [1 - 0.83 \exp(-0.5/R_w)]3.83 \quad (3)$$

and

$$\text{Group 2: } B_{25} = [1 - 0.6 \exp(-0.77/R_w)]4.64. \quad (4)$$

Waxman and Smits reasoned the Group 2 equation was most representative. However, on the basis of additional work, Waxman and Thomas (1972) later argued the Group 1 equation best represented  $B$  for the laboratory environment. This conclusion was supported by Yuan and Diederix (1987).

Waxman and Thomas extended the experiments to reservoir temperatures using similar techniques and derived  $B$  vs.  $R_w$  relationships for six temperatures from 50 to 200°C. Results were presented graphically in their figure 16. No equation was given to represent their cross-plot results. The  $B$  isotherms for temperatures above 25°C were digitized and are reproduced here as **Figure 1**. This figure also illustrates the  $B_{25}$  isotherm that represents the Group 1 equation. Examination of this figure reveals several features. Each isotherm reaches a maximum value, referred to as  $B_{\text{max}}$ , on the left side of the  $R_w$  axis representing low  $R_w$  and high salinity. Proceeding from  $B_{\text{max}}$  to higher  $R_w$  each elevated-temperature  $B$  isotherm decreases but reaches a point of truncation that represents an experimental but not theoretical limit for  $B$ . One could anticipate an extension beyond the truncation somewhat consistent in form with the trend suggested by the  $B_{25}$  isotherm.

Subsequently, other authors have provided empirical equations to represent  $B$  at the reservoir environment consistent with W-T figure 16. Juhasz (1981) gave the following equation for  $B$  as a function of  $R_w$  and temperature:

$$B = \frac{-1.28 + 0.225 T - 0.0004059 T^2}{1 + R_w^{1.23} (0.045 T - 0.27)}. \quad (5)$$

Equation 5 has practical units for  $B$  and  $R_w$ , (1/ohm m)/(e/l) and ohm m, and temperature,  $T$ , has units of degrees C.

Gravestock (1991) found that equation 5 did not provide expected variation in  $B$  for hot, fresh formation brines and so developed the following equation:

$$B = [1 - 0.83 \exp(-C_w 25/20)]1.5814T. \quad (6)$$

This equation (6) has units of mmho/cm for brine conductivity at 25°C,  $C_{w25}$ , and degrees C for temperature. Units for  $B$  in this equation are  $\text{cm}^2 \text{equiv}^{-1} \text{ohm}^{-1}$  requiring division by 10 to be consistent with other  $B$  units discussed here.

### Comparison to Standards

An average of twenty-seven points for each of the six  $B$  isotherms of Waxman-Thomas figure 16 were digitized to provide a basis of comparison for the reservoir-environment standard to the published equations. Accuracy in this effort was enhanced by use of the full-page figure available in the transactions version of the W-T paper. Twenty-nine  $R_w$ -distributed  $B$  values were computed using the Group 1 equation to represent a laboratory-environment standard data set for comparison to these equations. Digitized points along with the isotherms derived from each equation (5 and 6) are illustrated in Figures 2 to 4.

Comparison of results for equation 5 is given in **Figure 2** and shows the equation output tends to underestimate  $B$  particularly at the extremes of  $R_w$ . The average absolute deviation from standard is 1.2 units while the maximum deviation is 3.6 units. We observe the absence of temperature effect at high  $R_w$  for this equation, hence it does not account for the theoretical extension of Waxman and Thomas' work into the region of hot, fresh brines.

Comparison of results for equation 6, given in **Figure 3**, reveals a tendency to both over and underestimate  $B$ . There is particular poor agreement for the 200°C isotherm consistent with Gravestock's caution to limit use of the equation for temperatures up to 170°C. The average absolute deviation from standard is also 1.2 units while the maximum deviation is 4.3 units. This equation provides a reasonable extension of the standard isotherms for the hot, fresh-brine region where equation 5 fails.

Output of both equations 5 and 6 at 25°C are compared with the Group 1 equation isotherm in **Figure 4** with an emphasis on the  $B_{\max}$  region of the cross plot. Here it is seen these equations overestimate the  $B_{\max}$  standard by up to 5 and 3% respectively. Use of either with  $C_0$ - $C_w$   $B_{\max}Q_v$  core data would result in an equal underestimation of  $Q_v$ . Use of either with wet chemistry  $Q_v$  data would result in overcorrected core resistivities. Hence, equations 5 and 6 should not be used for laboratory data computations.

### Development of an Improved and Unifying $B$ Equation

Given the variety of equations available and the discrepancies observed compared to standard values (up to 20%), we sought a single equation that would provide better agreement with standard values for the reservoir environment and exactly-matching values for the laboratory environment. Further, we desired prediction of  $B$  at hot, fresh brines similar to equation 6.

It was observed that each isotherm of W-T figure 16 follows the general form of the Group 1 equation. Sensitive terms in the equation were found to be the last term, which represents  $B_{\max}$  (3.83 for Group 1) and the term that is the numerator to  $R_w$  (0.5 for Group

1) that WST described as inverse gamma,  $\gamma^{-1}$ , an empirical constant with units of ohm m. The average digitized value of  $B_{\max}$  for each isotherm was found and regressions were performed using it and all digitized data per isotherm to arrive at a series of best values for  $\gamma^{-1}$ . Determination of temperature functions of  $B_{\max}$  and  $\gamma^{-1}$  followed. Points were weighted so that function values at 25°C would be identical to those of the Group 1 equation.  $B_{\max}$  and  $\gamma^{-1}$  values and their temperature functions can be viewed in **Figure 5**. These temperature functions were applied to the Group 1 equation form resulting in the following expression:

$$B = \left( 1 - 0.83 \exp \left( \frac{- \left( \exp \left( -2.38 + \frac{42.17}{T} \right) \right)}{R_w} \right) \right) (-3.16 + 1.59 \ln(T))^2. \quad (7)$$

Practical units of  $B$ , (1/ohm m)/(e/l), result from equation 7 with  $R_w$  in ohm m and  $T$  in degrees C. A comparison of equation 7 output to standard values is given in **Figure 6**. The average absolute deviation from standard is 0.4 units while the maximum deviation is 1.5 units. Only 12 of 188 points of comparison deviate by greater than 1 unit from the standard. At 25°C the equation exactly matches the standard (equation 3) and logical extensions of the reservoir standard isotherms are given for hot, fresh brines. Equation stability was checked by surface analysis (**Figure 7**) and results were found to be stable for all anticipated values of  $R_w$  and temperature. We believe equation 7 effectively replaces those previously published and we recommend its use by both core and log analysts.

### $Q_v$ , CEC per Unit Pore Volume

Traditional core analysis methods for  $Q_v$  are often inaccurate or impractical when testing tight gas sands. The wet-chemistry (titration) approach tends to over-predict the intrinsic property in well-cemented sands primarily resulting from the disaggregation required by the method. The multiple-salinity core conductivity test ( $C_0$ - $C_w$ ) is the preferred method for effective  $Q_v$ ; however, being a flow-through technique, test times for tight gas sand samples tend to be lengthy and impractical.

### $Q_v$ Method Development

Martin and Dacy (2004) presented a new technique for effective  $Q_v$  that provides results consistent with the  $C_0$ - $C_w$  method. The technique is based on determination of stressed total porosity and results of a brine-saturated core NMR  $T_2$  experiment. Requirements for brine flow-through are minimized or eliminated. Stressed  $Q_v$  is computed by the following rearranged expression of the Hill, *et al.* equation (2):

$$Q_v \text{ NMR} = \phi_{\text{CBW } 2.8 \text{ ms}}^{-1} \phi_{\text{total helium NCS}}^{-1} F_S^{-1}. \quad (8)$$

Use of total helium porosity at net confining stress (NCS), CBW porosity (defined as that cumulative porosity at NMR  $T_2$  of 2.8 ms), and a salinity factor ( $F_S$ ) for the equilibrated,



saturation brine result in stressed  $Q_v$  in units of e/l. The salinity factor is computed by ( $F_S=0.6425 S^{-0.5} + 0.22$ ) where  $S$  is the equilibrating brine concentration in g/l NaCl.

The authors determined both  $Q_v$  by  $C_0-C_w$  and an NMR  $T_2$  cumulative saturated porosity distribution for each of a diverse set of 80 core samples. Equation 2 was used to calculate CBW porosity and that value was found at a corresponding  $T_2$  for each sample. Analysis of the  $T_2$  values revealed a mean and mode of 2.8 ms to represent CBW porosity. Equation 8 was used to compute  $Q_v$  by the NMR method for comparison to the  $C_0-C_w$  method results.

### **Application of Method for Tight Gas Sands**

We have reassessed this data base to identify and highlight those samples below 1 md and less than 15% porosity to demonstrate the method's application for tight gas sands. These twenty-three samples are graphically identified and illustrate the distribution of permeability vs. porosity (**Figure 8**) and the comparison of  $Q_v$  results,  $C_0-C_w$  vs. NMR (**Figure 9**).

Review of comparative results confirms the method is suitable for tight gas sands. Use of intact samples and the requirement for limited brine flow-through lead to comparatively rapid and representative results. These features make the method a practical approach to derivation of  $Q_v$  for these unconventional formations.

## **CONCLUSIONS**

We have demonstrated the substantial impact of fresh clay-bound water on core-water salinity determinations and have defined an NMR approach that accounts for these effects as part of a core-based method for  $R_w$ . It has particular application to tight gas sands because of the difficulties in obtaining representative formation water samples and because these sands often contain CBW.

Standard sources for  $B$  at the laboratory and reservoir environments have been identified. The poor comparison of standard  $B$  values with those from published equations lead to development of a unifying equation that provides both improved  $B$  results for the reservoir environment and standard values for the laboratory environment. The new equation effectively replaces those previously published hence it can be used by both core and log analysts.

A new NMR method for  $Q_v$  using intact samples and limited brine flow-through provides results consistent with the  $C_0-C_w$  method and has been shown to be a practical approach for tight gas sands.

Although these methods and equation are presented in the context of tight gas sands and the Waxman-Smiths-Thomas model, one or more of them apply for any shaly-sand water saturation model irrespective of permeability.

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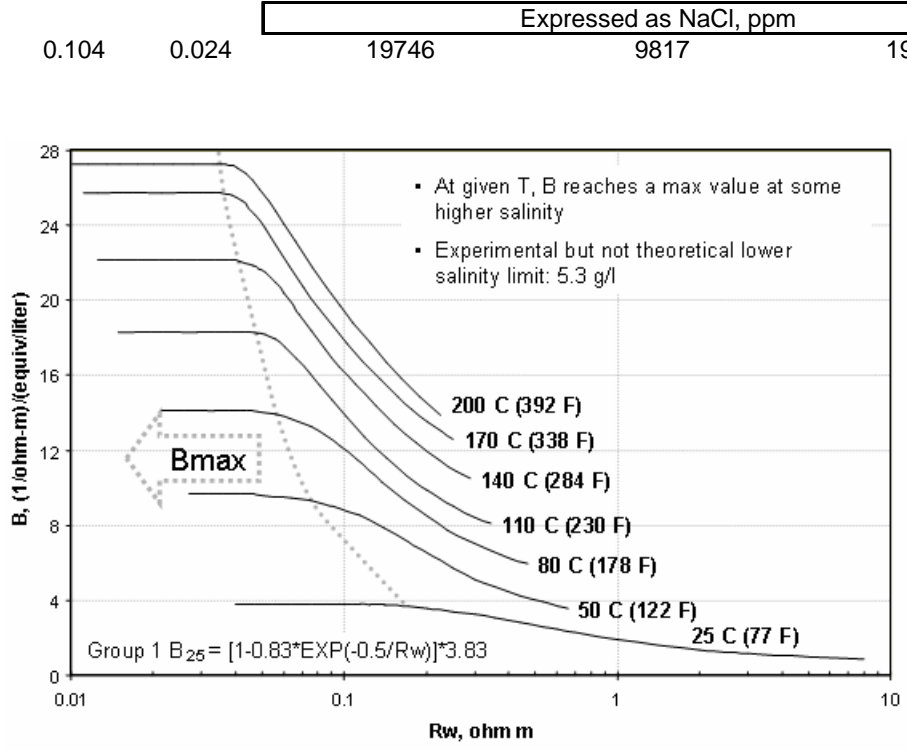
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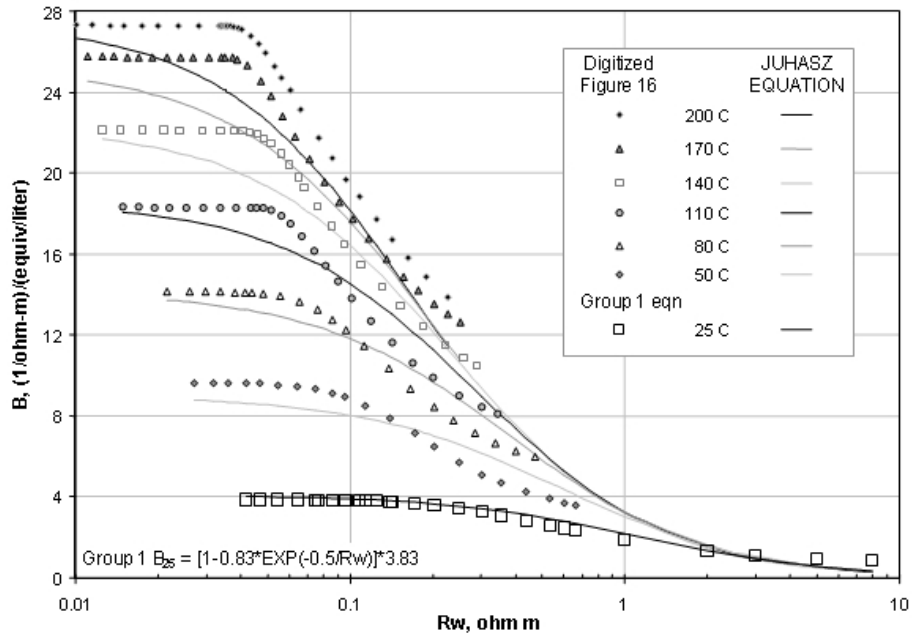
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**TABLE 1.** Impact of Clay-Bound Water on Salt-Extraction Salinity Determination

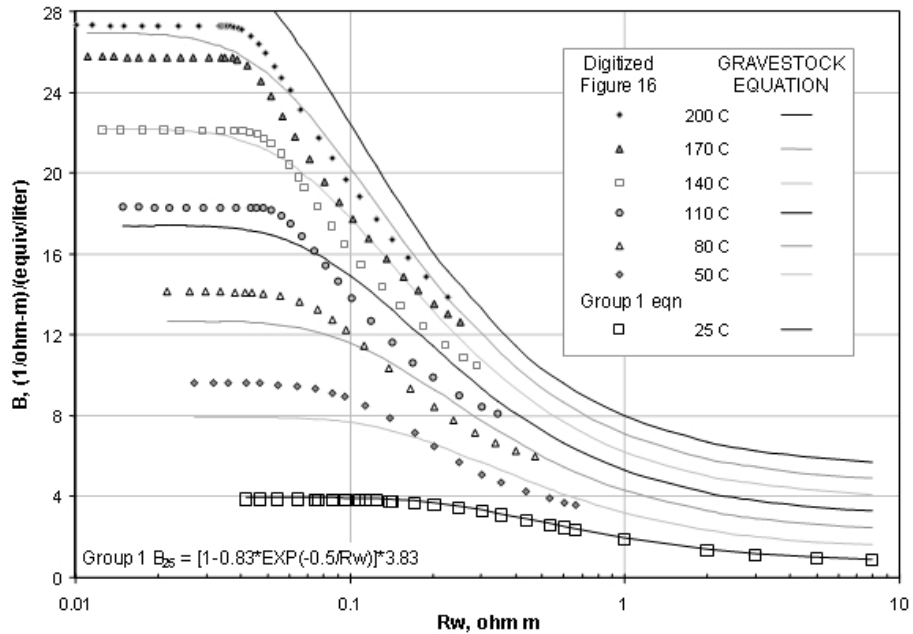
Sample	Total Porosity	CBW Porosity	Cl <sup>-</sup> , ppm Equilibrium Saturating Solution	Cl <sup>-</sup> , ppm Recombined with Core Water Representing Core Water Salinity	
				Total Water	Total Water - CBW
A	0.112	0.022	11967	6227	11693
B	0.101	0.021	11967	6408	11786
C	0.099	0.028	11967	5214	11316
Average:	0.104	0.024	19746	9817	19137



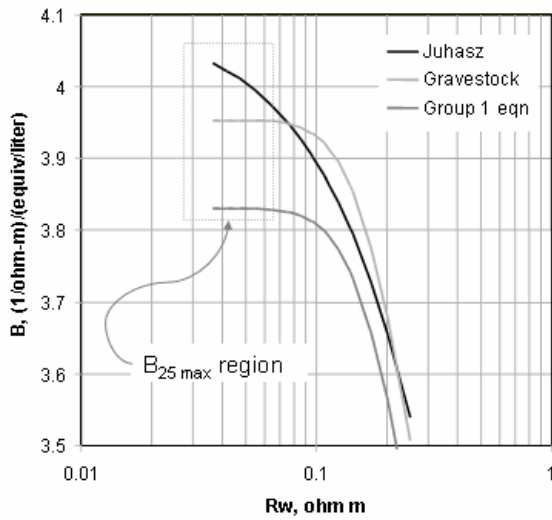
**FIGURE 1.** Standards for *B*, counter-ion conductance. Isotherms of *B* as functions of *R<sub>w</sub>* represent the laboratory environment standard (Group 1 equation, 25°C) and the reservoir environment standard (consistent with Figure 16 of Waxman and Thomas, 1972).



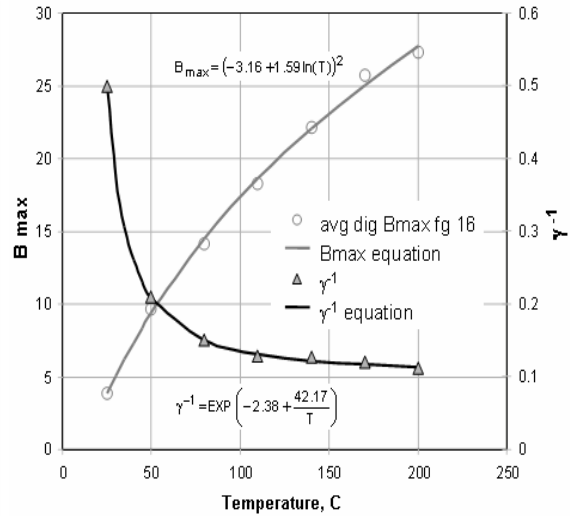
**FIGURE 2.** Comparison of  $B$  standard values (data points) to output of Juhasz's equation (5). Equation tends to underestimate  $B$  and shows little temperature effect at high  $R_w$ .



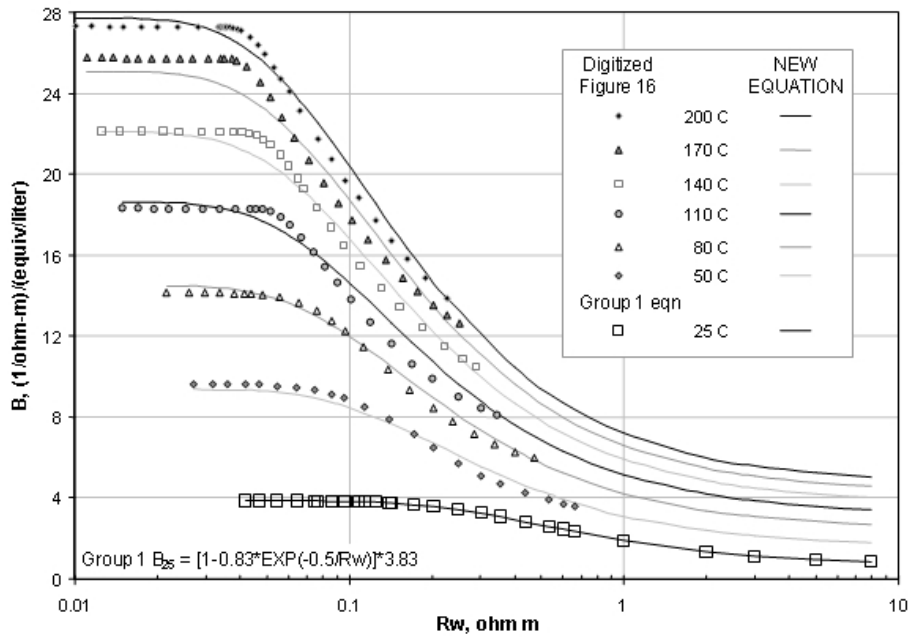
**FIGURE 3.** Comparison of  $B$  standard values (data points) to output of Gravestock's equation (6). Equation tends to both over and underestimate  $B$  but shows a temperature effect at high  $R_w$ .



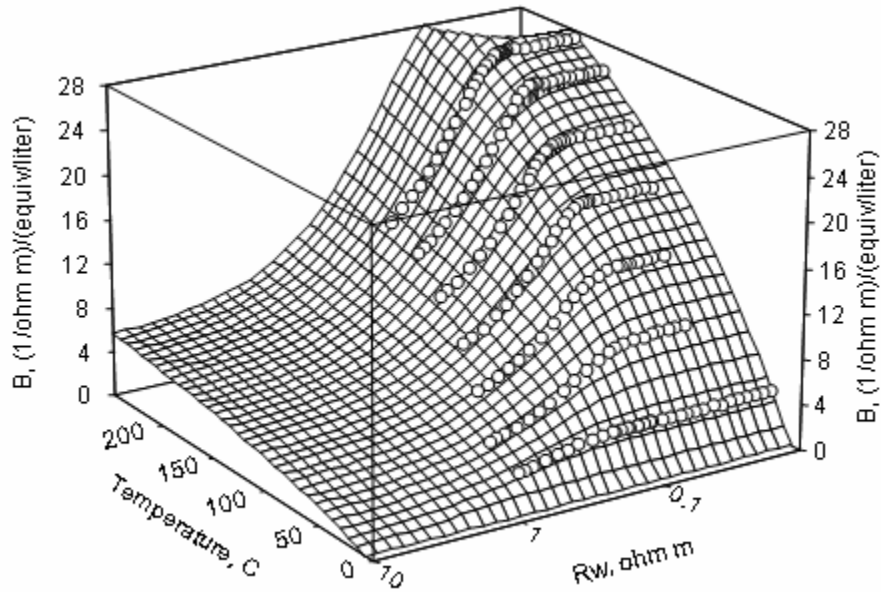
**FIGURE 4.** Comparison of  $B_{25}$  isotherms from equations 5 (Juhasz) and 6 (Gravestock) with the standard (Group 1). Use of equations 5 or 6 for computations with laboratory data is not recommended.



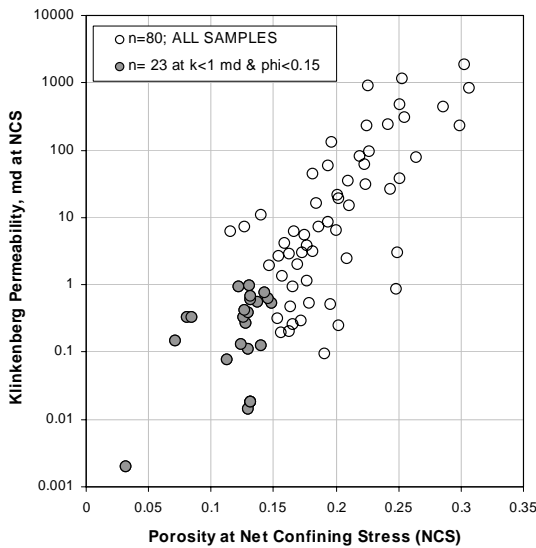
**FIGURE 5.** Temperature functions of  $B_{max}$  and inverse gamma. Functions were applied to Group 1 equation resulting in an improved and unifying empirical equation for  $B$ .



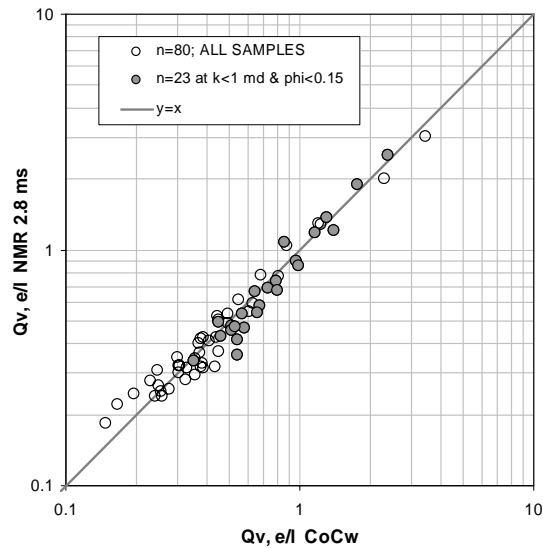
**FIGURE 6.** Comparison of new  $B$  equation (7) results to standard values. Results compare exactly at 25°C and with much improvement at elevated temperatures relative to other equations examined.



**FIGURE 7.** Surface plot of new  $B$  equation. Figure illustrates stable equation performance for all anticipated values of  $R_w$  and temperature.



**FIGURE 8.** Permeability vs. porosity for database samples used in development of NMR  $Q_v$  technique. Samples with low permeability and porosity are indicated



**FIGURE 9.** Comparison of  $C_0-C_w$   $Q_v$  results with those of the NMR method. New method is well-suited for tight gas sands as it is rapid, non-destructive, and results compare favorably with those of  $C_0-C_w$  method.